

CHAPTER **3**

**The First Law of Thermodynamics:  
Closed Systems**

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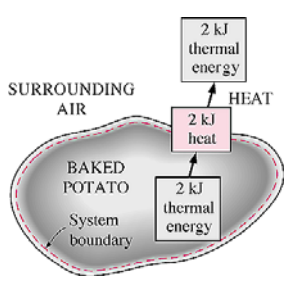
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**Heat Transfer**



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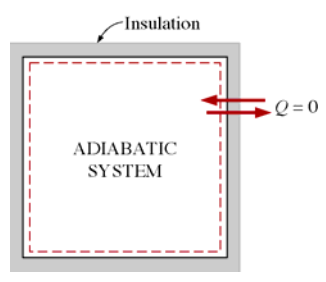
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**Adiabatic Process**



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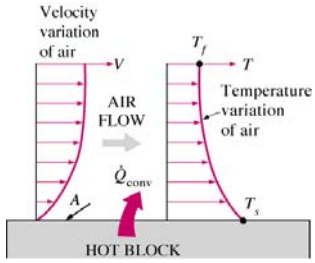
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## Convection: Heat Transfer



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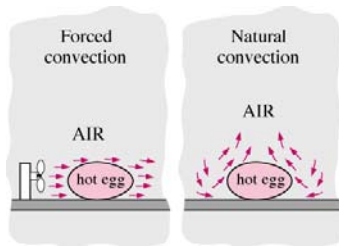
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## Convection: Cooling



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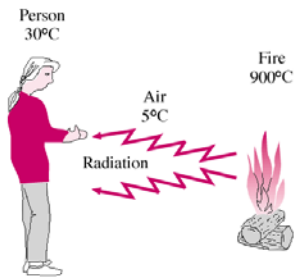
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## Radiation



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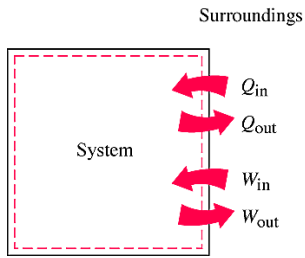
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## Heat and Work




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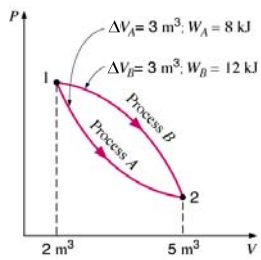
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## Path Functions




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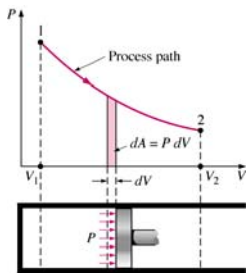
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## Boundary Work




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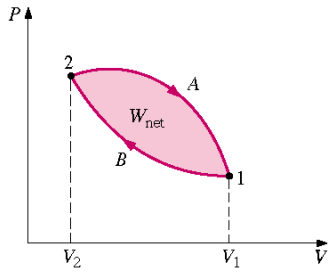
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### Net Work per Cycle




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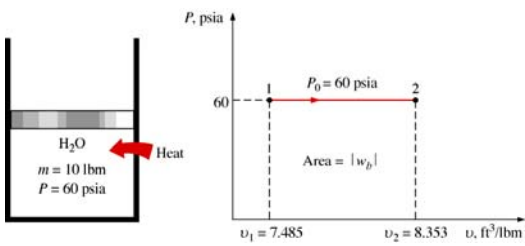
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### Schematic/Diagram for Ex. 3-8




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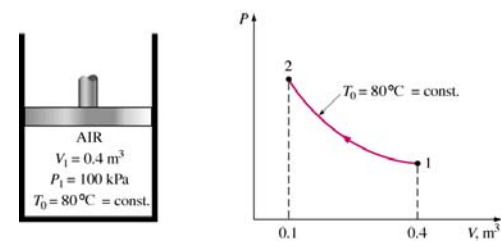
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### Schematic/Diagram for Ex. 3-9




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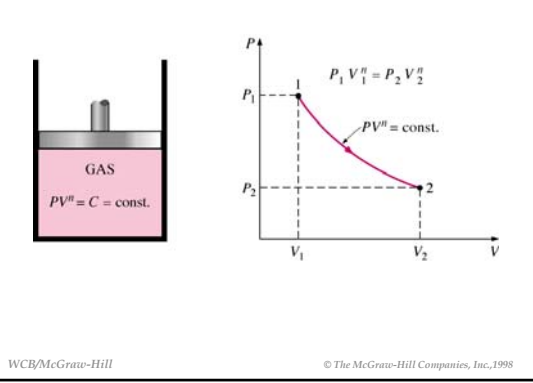


3-12

### Schematic/Diagram for the Polytropic Process

Cengel Boles  
**Thermodynamics**

Third Edition




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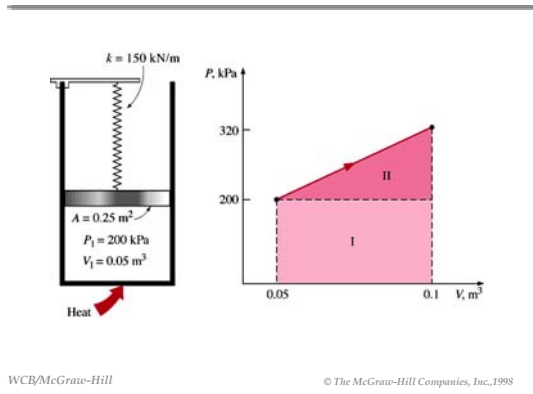


3-13

### Schematic/Diagram for Ex. 3-13

Cengel Boles  
**Thermodynamics**

Third Edition




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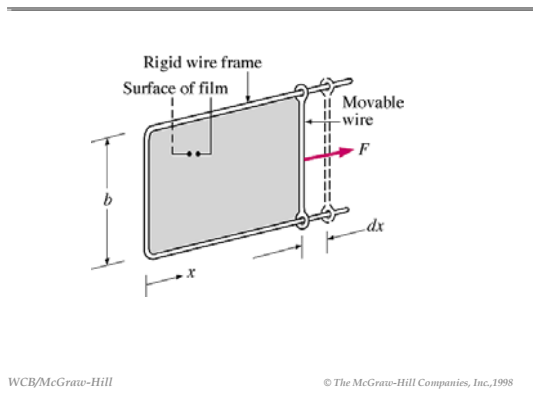


3-14

### Stretching a Liquid Film

Cengel Boles  
**Thermodynamics**

Third Edition




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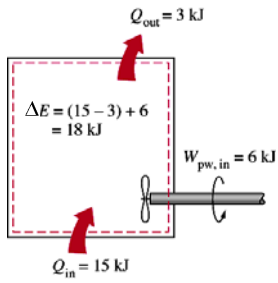
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## System Energy Change




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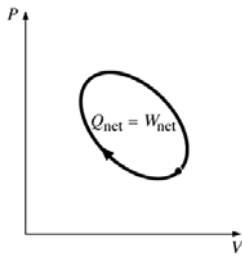
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## Energy Change for a Cycle




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## Closed-Systems, First-Law

General  $Q - W = \Delta E$   
 Stationary systems  $Q - W = \Delta U$   
 Per unit mass  $q - w = \Delta e$   
 Differential form  $\delta q - \delta w = de$

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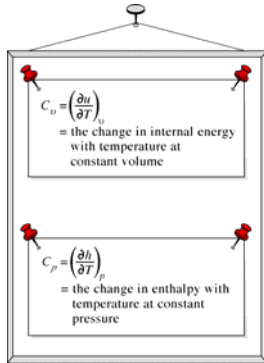
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## Formal Definitions of $C_v$ and $C_p$




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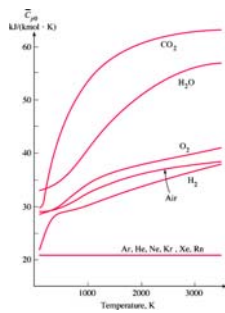
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## Specific Heats for Some Gases




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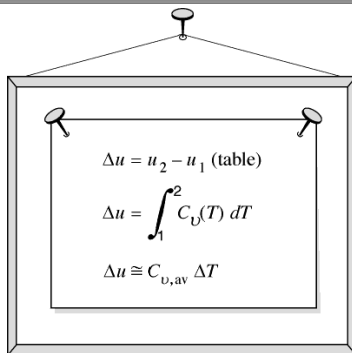
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## Three Ways to Calculate $\Delta u$




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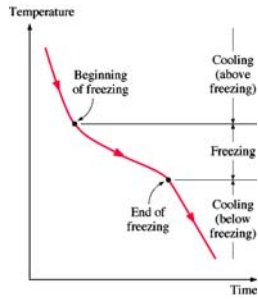
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## Typical Freezing Curve (food)



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## Chapter Summary

- The first law of thermodynamics is essentially an expression of the conservation of energy principle. Energy can cross the boundaries of a closed system in the form of heat or work.
- If the energy transfer across the boundaries of a closed system is due to a temperature difference, it is *heat*; otherwise, it is *work*.

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## Chapter Summary

- Heat is transferred in three ways: *conduction*, *convection*, and *radiation*.
- › *Conduction* is the transfer of energy from the more energetic particles of a substance to the adjacent less energetic ones as a result of interactions between the particles.
- › *Convection* is the mode of energy transfer between a solid surface and the adjacent liquid or gas that is in motion, and it involves the combined effects of conduction and fluid motion.
- › *Radiation* is the energy emitted by matter in the form of electromagnetic waves (or photons) as a result of the changes in the electronic configurations of the atoms or molecules.

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## Chapter Summary

- The three modes of heat transfer are expressed as:

$$\dot{Q}_{cond} = -k_t A \frac{dT}{dt} \quad (\text{W})$$

$$\dot{Q}_{conv} = hA(T_s - T_f) \quad (\text{W})$$

$$\dot{Q}_{rad} = \epsilon\alpha A(T_s^4 - T_{surr}^4) \quad (\text{W})$$

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## Chapter Summary

- Various forms of work are expressed as follows:

> **Electrical work:**  $W_e = VI\Delta t \quad (\text{kJ})$

> **Boundary work:**  $W_b = \int_1^2 P dV \quad (\text{kJ})$

> **Gravitational work (=DPE):**  $W_g = mg(z_2 - z_1) \quad (\text{kJ})$

> **Acceleration work (=DKE):**  $W_a = \frac{1}{2}m(\vec{V}_2^2 - \vec{V}_1^2) \quad (\text{kJ})$

> **Shaft work:**  $W_{sh} = 2\pi n\tau \quad (\text{kJ})$

> **Spring work:**  $W_{spring} = \frac{1}{2}k(x_2^2 - x_1^2) \quad (\text{kJ})$

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## Chapter Summary

- For the *polytropic process* ( $Pv^n = \text{constant}$ ) of real gases, the boundary work can be expressed as:

$$W_b = \frac{P_2V_2 - P_1V_1}{1-n} \quad (n \neq 1) \quad (\text{kJ})$$

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## Chapter Summary

- The energy balance for *any system* undergoing *any process* can be expressed as:

$$\underbrace{E_{in} - E_{out}}_{\text{Net energy transfer by heat, work, and mass}} = \underbrace{\Delta E_{system}}_{\text{Change in internal, kinetic, potential, etc., energies}} \quad (kJ)$$

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## Chapter Summary

- The energy balances for *any system* undergoing *any process* can be expressed in the *rate form* as:

$$\underbrace{\dot{E}_{in} - \dot{E}_{out}}_{\text{Rate of net energy transfer by heat, work, and mass}} = \underbrace{\Delta \dot{E}_{system}}_{\text{Rate of change in internal, kinetic, potential, etc., energies}} \quad (kJ)$$

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## Chapter Summary

- Taking heat transfer to the system and work done by the system to be positive quantities, the energy balance for a closed system can also be expressed as:

$$Q - W = \Delta U + \Delta KE + \Delta PE \quad (kJ)$$

where:

$$W = W_{other} + W_b$$

$$\Delta U = m(u_2 - u_1)$$

$$\Delta KE = \frac{1}{2}m(\vec{V}_2^2 - \vec{V}_1^2)$$

$$\Delta PE = mg(z_2 - z_1)$$

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## Chapter Summary

- For a **constant-pressure process**,  $W_b + \Delta U = \Delta H$ .  
Thus

$$Q - W_{other} = \Delta H + \Delta KE + \Delta PE \quad (kJ)$$

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## Chapter Summary

- The amount of energy needed to raise the temperature of a unit of mass of a substance by one degree is called the **specific heat at constant volume**  $C_v$  for a constant-volume process and the **specific heat at constant pressure**  $C_p$  for a constant pressure process. They are defined as:

$$C_v = \left( \frac{\partial u}{\partial T} \right)_v \quad \text{and} \quad C_p = \left( \frac{\partial h}{\partial T} \right)_p$$

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## Chapter Summary

- For ideal gases  $u$ ,  $h$ ,  $C_v$  and  $C_p$  are functions of temperature alone. The  $\bar{u}$  and  $\bar{h}$  of ideal gases can be expressed as:

$$\Delta u = u_2 - u_1 = \int_1^2 C_v(T) dT \cong C_{v,av} (T_2 - T_1)$$

$$\Delta h = h_2 - h_1 = \int_1^2 C_p(T) dT \cong C_{p,av} (T_2 - T_1)$$

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## Chapter Summary

- For ideal gases  $C_v$  and  $C_p$  are related by:

$$C_p = C_v + R \quad [kJ / (kg \cdot K)]$$

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## Chapter Summary

- The specific heat ratio  $k$  is defined as:

$$k = \frac{C_p}{C_v}$$

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## Chapter Summary

- For *incompressible substances* (liquids and solids), both the constant-pressure and constant-volume specific heats are identical and denoted by  $C$ :

$$C_p = C_v = C \quad [kJ / (kg \cdot K)]$$

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## Chapter Summary

- The  $\Delta u$  and  $\Delta h$  of incompressible substances are given by

$$\Delta u = \int_1^2 C(T) dT \cong C_{av} (T_2 - T_1) \quad (kJ / kg)$$

$$\Delta h = \Delta u + v\Delta P \quad (kJ / kg)$$

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## Chapter Summary

- The refrigeration and freezing of foods is a major application area of thermodynamics.

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